# Validation of measurement strategies and anisotropic models used in electrical reconstructions

Rosalind Sadleir and Te Tang

J. Crayton Pruitt Family Department of
Biomedical Engineering
University of Florida

### Comsol for low frequency EM problems

Electro/Magneto statics in 2 and 3D

- Complex geometries and measurement configurations
  - Electrical Impedance Tomography
  - Magnetic Resonance EIT
  - Electrical Bidomains (Cardiac, Neural Tissues)
  - Transcranial Stimulation

### Motivation - Skull structure

Adult Bone Periosteal Dura Meningeal mater Arachnoid membrane sagittal sinus Pia mater Subdural Arachnoid villus Subarachnoid Blood vessel Falx cerebri (in longitudinal fissure only) Marieb E. N. "Human anatomy & physiology"



 $\sigma_{\text{Cancellous}} \approx 10\sigma_{\text{Compact}}$   $t_{\text{Cancellous}} \approx t_{\text{Compact}}$ 

#### Intramembranous ossification

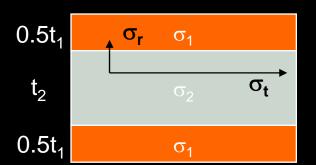
© Neas and Shao

http://cwx.prenhall.com/bookbind/pubbooks/martini10/chapter5/medialib/membrano.html http://education.vetmed.vt.edu/Curriculum/VM8054/Labs/Lab8/Examples/exmembos.htm

How complex should a layered model be in order to show truly anisotropic behavior?

### Layered Structure

### Apparent anisotropy ratio

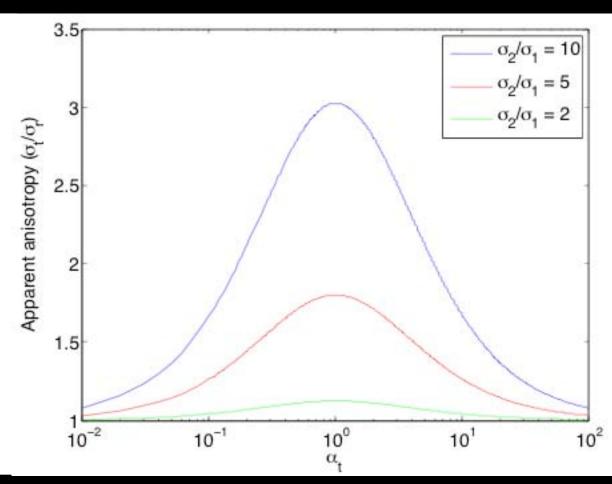


$$\left[ \frac{\sigma_t / \sigma_r}{\sigma_r / \sigma_r} \right]$$

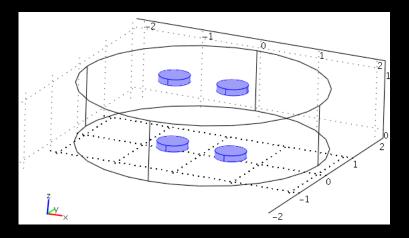
$$\left( \frac{\sigma_t / \sigma_r}{\sigma_r} \right)_{\text{max}} \approx \kappa$$

$$\kappa = \frac{\left( \frac{\sigma_2 + \sigma_1}{\sigma_2} \right)^2}{4\sigma_1 \sigma_2}$$

$$\alpha_t = \frac{t_2}{t_1}$$

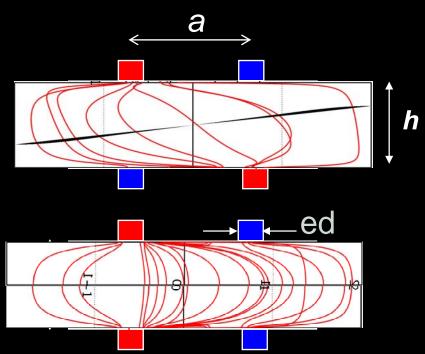


## **Measurement Configurations**

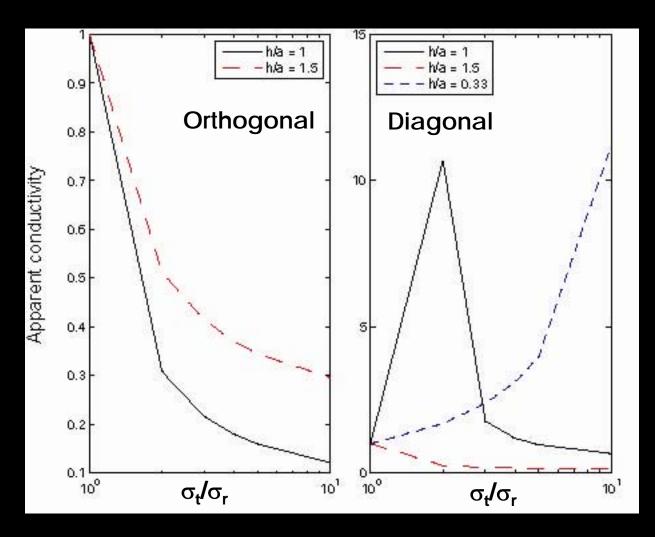


Diagonal

Orthogonal



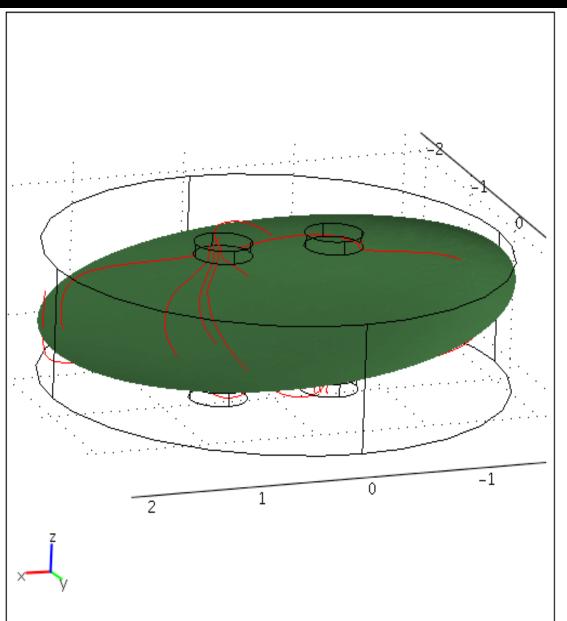
### Conductivity dependence on anisotropy ratio



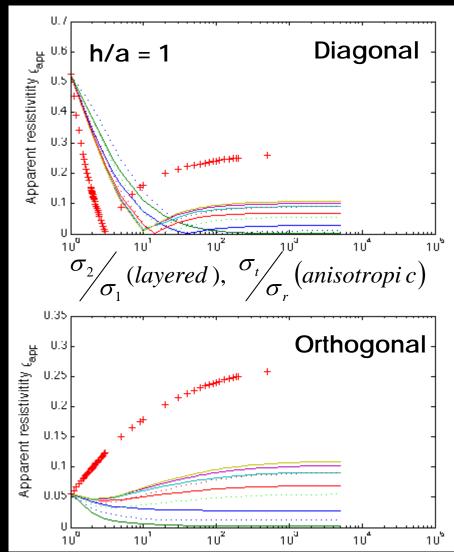
- Pure anisotropy
- Infinite finite thickness slab
- Analytic calculation

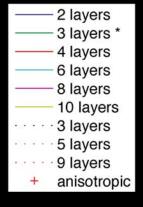
# Diagonal Configuration

0V isosurfaces



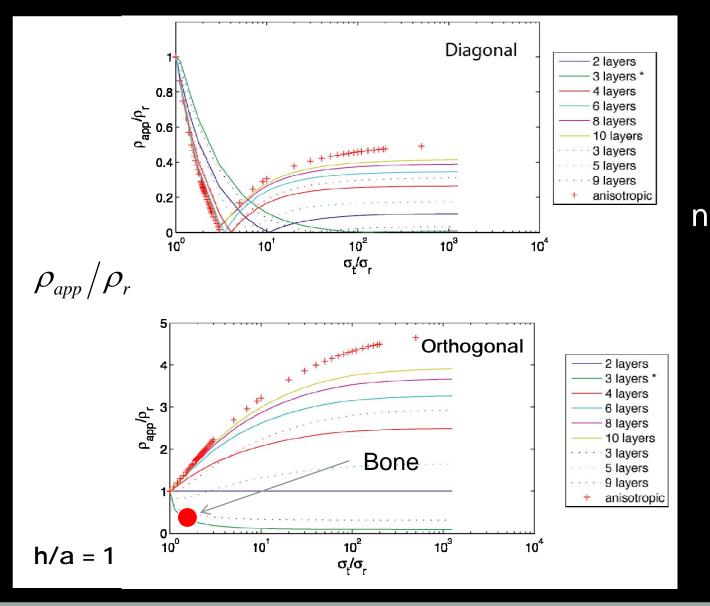
### Comparison of layered and anisotropic results (2d)







# Modeling comparison: (in 2d) - rescaled



### **Anisotropic Phantoms**

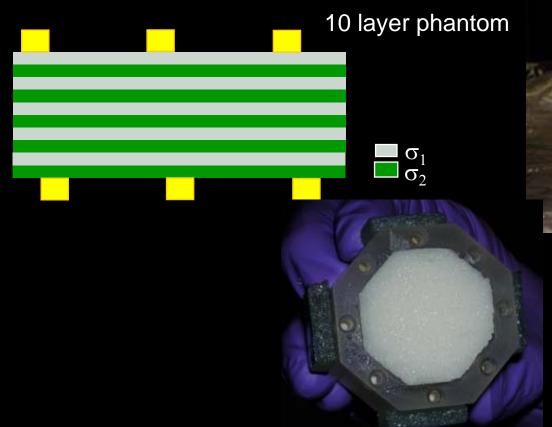
- Anisotropic conductivity reconstruction algorithms are emerging
  - DTI
  - MREIT
  - EIT
- These algorithms must be tested in controlled conditions
  - Predictable and well-characterized
  - Easily controlled anisotropy ratio
  - Anisotropic
  - Effect of using isotropic reconstruction method with anisotropic data

### **Phantom Construction**

 Number of layers required depends on sample size and interelectrode spacing

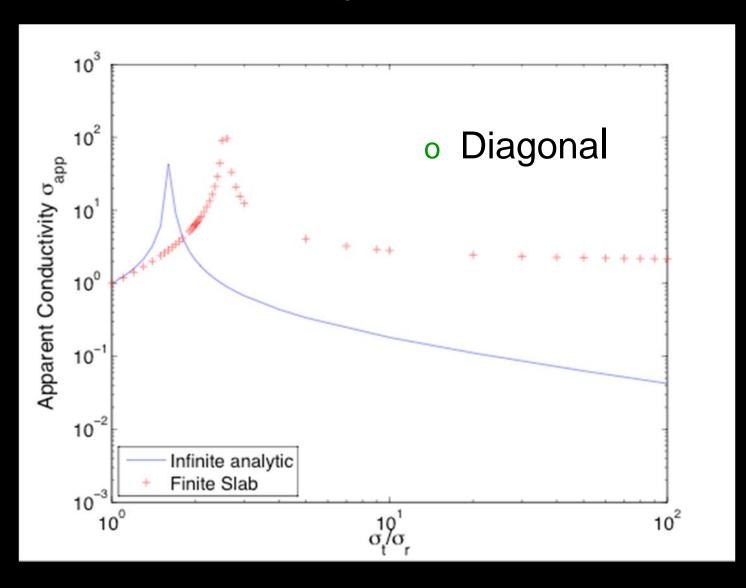


- Cut and paste
- Alternate pouring

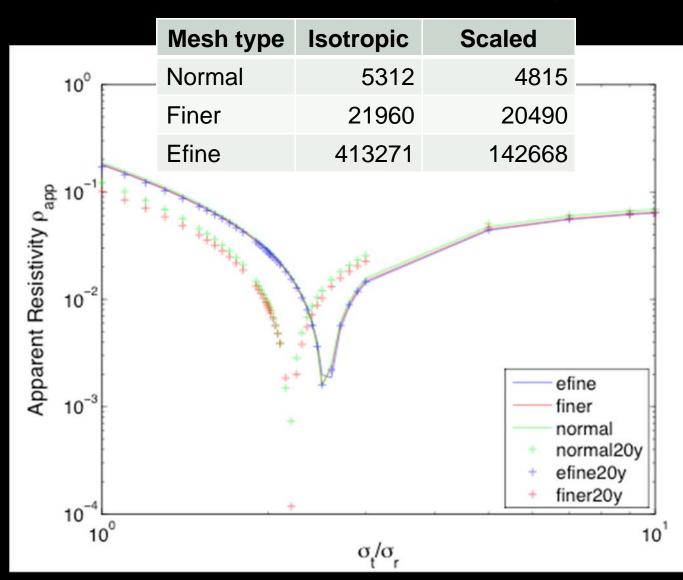




# **Anisotropic Solution**



### Effect of scaled meshing



#### Conclusions

- A satisfactorily anisotropic material can be constructed using alternating layers of contrasting conductivity materials
  - In 2d, a useful ratio is 10 layers/smallest electrode spacing
  - The amount of anisotropy can be controlled by varying the contrast,  $\kappa < \sigma_2/\sigma_1$   $(\sigma_2 > \sigma_1)$
- Solution accuracy can be tested by varying mesh scaling/anisotropy
- Bone does not behave as a homogeneous anisotropic structure